

|   | Questions   | Answers                  |                           |  |
|---|---|--------------------------|---------------------------|--|
|   |   | a                        | b                         | c  |
| 1 | $\lim_{x \rightarrow 0^+} x e^{\frac{1}{x}} =$  | 0                        | $+\infty$                 | $-\infty$  |
| 2 | Let $F(x) = \int_x^{\infty} \frac{dt}{\ln t}$ where $x \in ]1, +\infty[$ . $F$ is :   | Strictly increasing      | Decreasing                | not strictly monotonic                           |
| 3 | The inequality $\ln(e^{2x}-2) < x$ is satisfied if $x \in :$  | $] -\infty, \ln 2 ]$     | $] \ln \sqrt{2}, \ln 2 [$ | $] \ln \sqrt{2}, +\infty$                        |
| 4 | An argument of the complex number $Z = \frac{\sin \Phi - i \cos \Phi}{\left( \cos \frac{\pi}{8} - i \sin \frac{\pi}{8} \right)^2}$ is : | $\Phi - \frac{\pi}{4}$   | $\Phi - \frac{3\pi}{4}$   | $\frac{3\pi}{4} - \Phi$                          |
| 5 | Consider in the complex plane the point M of affix $Z = e^{i\frac{\pi}{3}} + e^{i\frac{\pi}{6}}$ . Which of the following is true ?     | $Z = e^{i\frac{\pi}{2}}$ | $ Z  = 2$                 | M belongs to the straight line of equation $y=x$ |

| N | Questions   | Answers  |                              |                             |
|---|---|--|------------------------------|-----------------------------|
|   |   | a  | b                            | c                           |
| 1 | In a plane, there are 10 straight lines, intersecting two by two, in distinct points.<br>The number of these points of intersection is:   | 60   | 45                           | 20                          |
| 2 | If $Z$ is a variable complex number such that $\bar{Z} - \frac{1}{Z} = 0$<br>Then the point $M(Z)$ moves on   | The circle with center the origin and radius 1 | The line of equation $y = x$ | The abscissas axis          |
| 3 | $f$ is a function defined over $I = ]1, +\infty[$ by $f(x) = x + 1 - \frac{3e^x}{e^x - e}$ and $g$ is its inverse function the equation $f(x) = g(x)$ has (no need to find $g(x)$ ) | No roots                                       | One unique root              | Two roots                   |
| 4 | Given the 2 functions $f(x) = 3 \sin 2x$ and $h(x) = 3 \cos 2x$ . Whose representative curves are $(c)$ and $(c')$ respectively. The vector that translates $(c)$ to $(c')$ is      | Doesn't exist                                  | $\vec{V} = \frac{-\pi}{4} i$ | $\vec{V} = \frac{\pi}{4} i$ |

In the table below, only one of the proposed answers to each question is correct. write the number of each question and the corresponding answer, and justify.

| No | Questions   | Answers                       |                               |                   |
|----|---|-------------------------------|-------------------------------|-------------------|
|    |   | a                             | b                             | c                 |
| 1  | $\int_{\ln 2}^{\ln 3} \frac{1}{1+e^x} dx =$   | $\ln\left(\frac{9}{8}\right)$ | $\ln\left(\frac{8}{9}\right)$ | $\ln 2$           |
| 2  | $\lim_{x \rightarrow -\infty} \ln\left(\frac{e^x+1}{e^x}\right) =$  | $+\infty$ ✓                   | $-\infty$                     | 0 ✓               |
| 3  | Let $f(x) = \ln(e^{2x} + 2e^{-x})$ .<br>The representative curve (C) of f admits at $+\infty$ the asymptote whose equation is : | $y = -x + \ln 2$              | $y = 2x$                      | $y = -2x + \ln 2$ |
| 4  | $\lim_{x \rightarrow +\infty} e^{-x} \ln(1+e^x) =$  | 0 ✓                           | $+\infty$ ✓                   | 1                 |
| 5  | The value of :<br>$e^{\frac{1}{2} \ln 4} + e^{-\ln \frac{1}{4}} - 2 \ln \sqrt{e} + 5 \ln(\ln e)$ is :                           | 10                            | 5                             | 6                 |
| 6  | $(1-i\sqrt{3})^6 =$   | $2^6$                         | $-2^6$                        | 2                 |